### Joinads

A retargetable control-flow construct for reactive, parallel and concurrent programming

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# The two key points of the talk

## Language extension

We add language support for concurrent, parallel and reactive programming

## **Multi purpose**

We do this without committing the language to one particular programming model

## We extend F# computation expressions

Similar approach could be used in other functional languages (especially Haskell's do-notation)

# Reactive, concurrent and parallel

### Programming with *futures*

- Running in background and eventually gives a result
- Language support in Manticore (Fluet et al. 2008)

### Event-based programming

- Lightweight threads, communicating using events
- Functional Reactive Programming (Elliott 2000)

#### Join-calculus

- Joins execute when certain channels contain values
- Both languages (Conchon, Fessant 1999) and libraries (Russo 2007)

# Bringing programming models to practice

Language-based solutions
 Language supports only one model
 Library-based encodings
 Restricted syntax is limiting



#### Our approach: Support a recurring pattern

- Successfully used by monads (and arrows & idioms)
- One syntactic extension works for many libraries

# Overview

## Background

**Computation expressions overview** 

Our extension

Choosing between computations Merging computations What are joinads?

Interesting relations

Joinads and other computation types

# Computation expressions by example



Event is modeled as a sequence of time-value pairs



# F# computation expressions

### Computation expression syntax

cexpr =let pat = expr in cexprBinding value|let! pat = expr in cexprBinding computation|return exprReturning value|return! exprReturning computation|match expr-list with ...Pattern matching on values

### Notation for writing computations ('do' in Haskell)

Translates to primitive function calls

# F# computation expressions

## Computation expression syntax

cexpr =let pat = expr in cexprBinding value|let! pat = expr in cexprBinding computation|return exprReturning value|return! exprReturning computation|match expr-list with ...Pattern matching on values

## Our extension adds the obvious

- match! expr-list with ... Pattern matching on computations
- ...and two primitive functions for the translation
- They specify what match! actually means

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# Choosing between computations

#### Operation choose composes multiple clauses

Wait for events in parallel & run the first enabled body



## What patterns can we write?

#### New syntactic category computation pattern

- cexpr =match! expr-list withPattern matching on computations $cpat-list \rightarrow cexpr \mid \dots$ with a list of clauses
- cpat=Ignore computation pattern| !patBind computation using standard pattern
- Note the difference between "\_" and "!\_"
  - Is a non-exhaustive computation binding

  - matches even if we don't have a value

# Merging computations

## Binding values from multiple computations

All clauses so far had only single binding pattern



Asynchronous input & Synchronous output let put = new Channel<int>() let get = new Channel<ReplyChan<string>>() let buffer = join { match! put, get with | !num, !chnl -> reply chnl (sprint "re %d" num) Pattern "joining" the two channels

# What is a joinad?

 $\begin{array}{ll} map & : (a \rightarrow b) \rightarrow M {<} a {>} \rightarrow M {<} b {>} \\ merge & : M {<} a {>} \rightarrow M {<} b {>} \rightarrow M {<} a {*} b {>} \\ choose & : list {<} M {<} option {<} M {<} a {>} {>} {>} \rightarrow M {<} a {>} \end{array}$ 

#### The match! syntax translates to these

- merge Combines two computations into a single
- choose Finds the first enabled computation from a list of clauses and returns computation that runs the body

### **Call to Action:** Formalization of Joinads

Are these the simplest primitives we can use?
How to find complete laws about the primitives?

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# Joinads and monads

Joinads do not imply monads or otherwise

Many computations are both joinad and monad

Can we get **merge** inside monad for free?

 $\square The type is M < a > \rightarrow M < b > \rightarrow M < a * b >$ 

• Want commutativity merge  $u v \equiv map$  swap (merge v u)

```
let merge ma mb = m {
  let merge ma mb = m {
  let! b = mb
  let! b = mb
  return a, b }
  Commutative
  monads!
```

# Summary & Questions?

Language extension for multiple models

- **Reactive** based on events (similar to FRP)
- Parallel based on futures (related to Manticore)
- **Concurrent** based on join calculus (JoCaml,  $C\omega$ )
- ...and possibly many others
- Theoretically interesting
  - More work to be done on the formal model...





# The end of the universe

# Joinad computations for futures

### Future is computation running in background

Case **!a**, **!b** 

Binding means waiting for the completion



## Desugaring of computation expressions

let rec counter n = event {
 let! \_ = btn.Click
 let! \_ = Event.sleep 1000
 return n + 1
 return! counter (n + 1) }

Waiting for an event

Functions are associated with the event builder

- return and let! translate to Return and Bind
- Sequencing of expressions translates to Combine

```
let rec counter n =
    event.Bind(btn.Click, fun _ ->
        event.Bind(Event.sleep 1000, fun _ ->
        event.Combine
        ( event.Return(n + 1),
        counter (n + 1) )))
```

# Desugaring of joinads



Multiple binding patterns turned into **Merge** 

# **Choose operation explained**



## Type signature resembles monadic join

- Should behave the same for singleton list with "Some"
- Outer computation
  - Maps matching inputs into clauses to be executed
- Inner computation
  - Represents the body

## Joinad laws: Where do they come from?

#### Transformations that shouldn't change meaning

Replace trivial "match!" with binding **let!** *var* = *m* **in** *expr* **match!** *m* **with** *!var -> expr*  $\equiv$ **match!** m { return  $e_1$  }, Pattern matching match  $e_1, e_2$  with ≡  $m \{ return e_2 \} with$ on two "units"  $| var_1, var_2 -> cexpr$  $| !var_1, !var_2 -> cexpr$ match! ...,  $m_{p(i)}$ , ... with match! ...,  $m_i$ , ... with Reordering of | ..., cpat<sub>1, p(i)</sub>, ... -> cexpr<sub>1</sub> | ...  $| ..., cpat_{l,i}, ... -> cexpr_l$ computations ≡ & patterns  $\dots, cpat_{k, p(i)}, \dots -> cexpr_k$ ...,  $cpat_{k,i}$ , ... ->  $cexpr_k$ 

**match!** m with  $| !var_1 \rightarrow \langle cexpr \rangle_1 \equiv$  $| !var_2 \rightarrow \langle cexpr \rangle_2$ 

**match!** m with | !var<sub>1</sub> -> <cexpr><sub>1</sub>

Match first enabled clause

# Joinad laws: Simplified form

## Merge operation (written as ())

Commutativity is related to commutative monads

 $u \bigoplus (v \bigoplus w) \equiv \text{map assoc} ((u \bigoplus v) \bigoplus w) \quad (associativity)$   $u \bigoplus v \equiv \text{map swap} (v \bigoplus u) \quad (commutativity)$  $unit (u, v) \equiv (unit u) \bigoplus (unit v) \quad (unit merge)$ 

**where** assoc ((a, b), c) = (a, (b, c)) **and** swap (a, b) = (b, a)

#### Choose operation

- Should always select the first enabled clause (formal definition doesn't make things much simpler)
- For monads, should generalize bind operation

# Translation of Joinads

Merge inputs for pattern matching and map
 Translate clauses using ( – ) and apply choose

 $\langle cpat_1, ..., cpat_k \rightarrow cexpr \rangle_{m, (v1, ..., vk)} \equiv$   $map_m$  (function  $(pat_1, ...), pat_n \rightarrow Some \langle \langle cexpr \rangle \rangle_m$  $|\_ \rightarrow None) cargs$ 

where  $\{(pat_1, v_1), \dots, (pat_n, v_n)\} = \{(pat, v_i) | cpat_i = !pat; 1 \le i \le k\}$  $cargs = v_1 \bigoplus_m \dots \bigoplus_m v_{n-1} \bigoplus_m v_n \text{ for } n \ge 1$